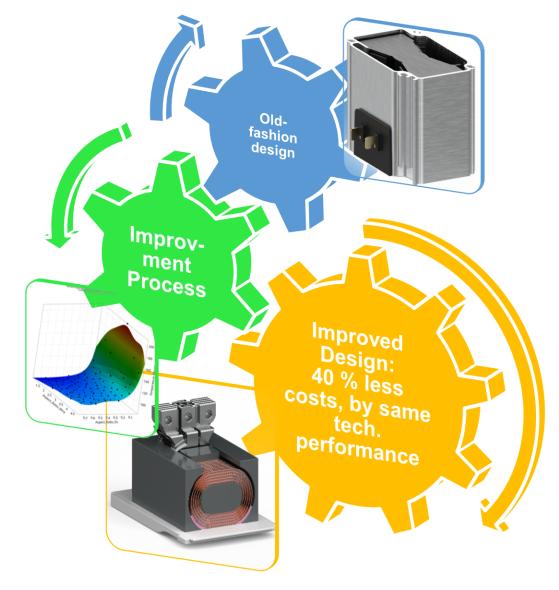


How to optimize a component that exists since the 19th century?



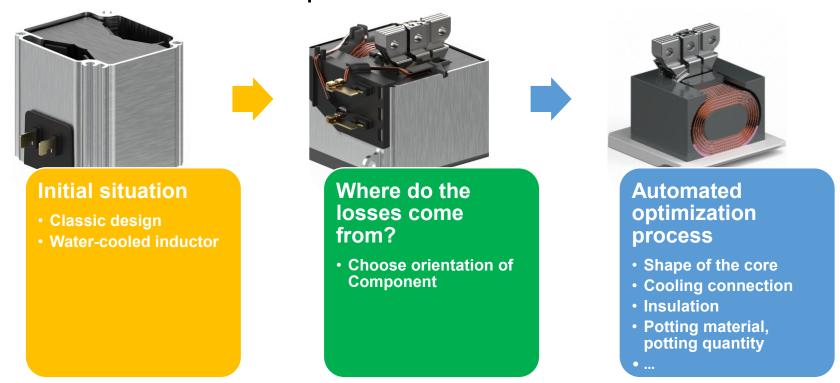


Improvements compared to standard designs



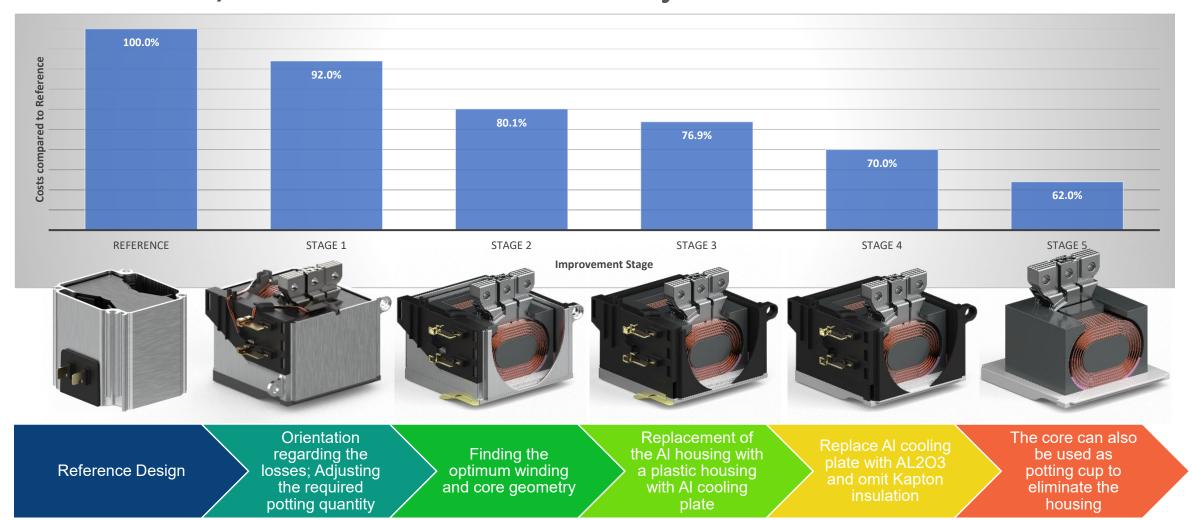
Inductive components (transformers, chokes, filters) with round windings in water-cooled applications are usually embedded and encapsulated in an aluminum housing, as is common in the automotive industry.

Although this ensures good heat dissipation of the component, it is costintensive and can also be improved in terms of thermal resistance.



Multi-physical, multi-dimensional optimization with respect to electrical, thermal and commercial objectives





Optimal design of an inductor

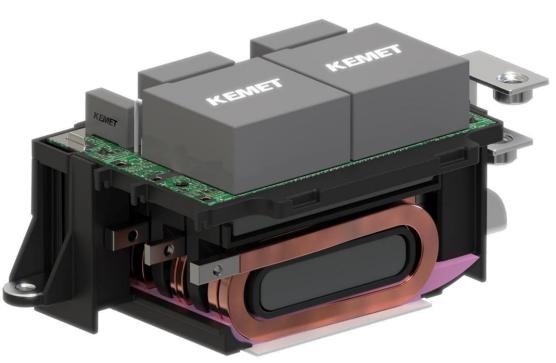
YAGEO YAGEO

Magnetic components are particularly important for power electronic circuits.

For example, the Inductive components account for 20 to 30% of the total costs of switching power supplies.

What leads us to an optimal inductance design:

- Selection of the core material and calculation of the core cross-section
- Dimensioning of the winding:
 - Calculation of the number of turns
 - Selection of the winding type (round wire, flat wire, litz wire or foil)
- Calculation of winding and core losses
- Finding the optimum geometry considering the cooling method



Causes for Core-losses

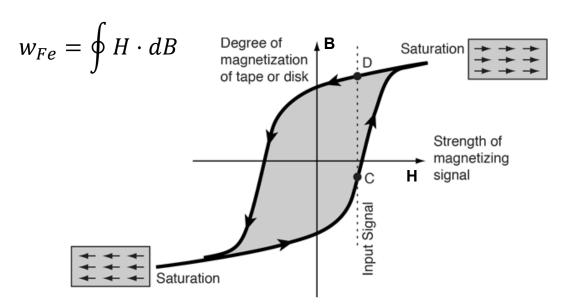


	Iron	Amorphous / nanocrystalline metals	Powder cores	Ferrite cores (MnZn, NiZn)
max. induction	12 T	0.51.5 T	1 T	0.10.3 T
Core loss	High	Very low	Low	Low
Core shape	Conventional M or El cuts for 50 Hz chokes; ring or cut cores for transformers in the medium frequency range, chokes also at higher frequencies if ripple is low	only as ring or cut cores	Practically rarely used as a transformer; Mostly ring cores; customer-specific shapes possible	Many shapes; as RF chokes and smoothing inductors as well as coupled coils (with air gap) up to the MHz range; Many shapes; also, customer-specific
Max. Temperature	200 °C	100 °C	125150 °C	125150°C
Costs	Inexpensive	expensive	Relatively expensive	Relatively inexpensive

Causes for Core-losses



- Magnetic hysteresis
- Eddy currents
- Additional losses at higher frequencies due to phase shift between H and B (μ)



Source: http://hyperphysics.phy-astr.gsu.edu/hbase/Solids/hyst.html

Steinmetz's equation for sinusoidal flux:

$$P_{Fe} = k_p \cdot f^{\alpha} \cdot B^{\beta} \cdot V$$

Material-dependent parameters

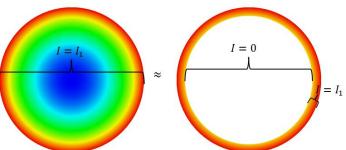
Causes for Winding-losses



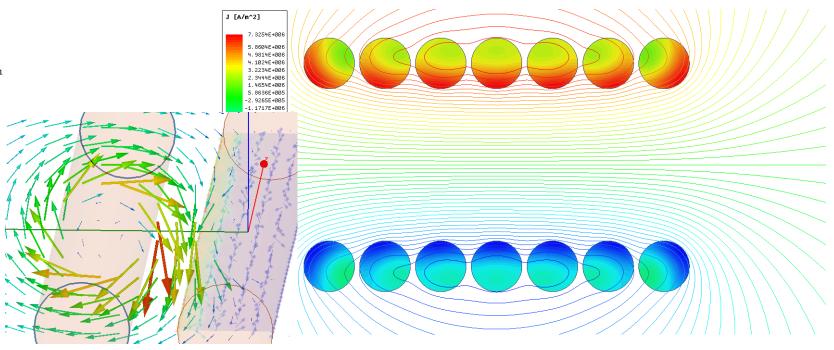
- DC-losses
- Eddy current-losses:

$$U_e = \oint\limits_C \mathbf{E} \cdot d\mathbf{r} = -rac{d\phi}{dt} = -rac{d}{dt} \int\limits_A \mathbf{B} \cdot d\mathbf{A}$$

Skin-effect



Proximity-effect



Eddy Current



Skin-effect

Eddy currents are induced inside the conductor; They surround the field lines in a ring and overlap with the conductor current

Penetration-depth:

$$\delta = \sqrt{\frac{2}{\omega\mu\sigma}}$$

Current-density (for round conductors):

$$J_r = \frac{kI}{2\pi R} \cdot \frac{J_0(kr)}{J_1(kr)}$$

Proximity-effect

A conductor is penetrated by the magnetic field of another conductor. Eddy currents are induced to a greater extent, which concentrate the current paths even more than is already the case due to the skin effect. The conductor resistance increases further.

$$F_R = \frac{R_w}{R_{dc}} = X \cdot \frac{\sinh(2X) + \sin(2X)}{\cosh(2X) - \cos(2X)} + \frac{m^2 - 1}{3} \cdot 2X \cdot \frac{\sinh(X) - \sin(X)}{\cosh(X) + \cos(X)}$$

Optimization scenario

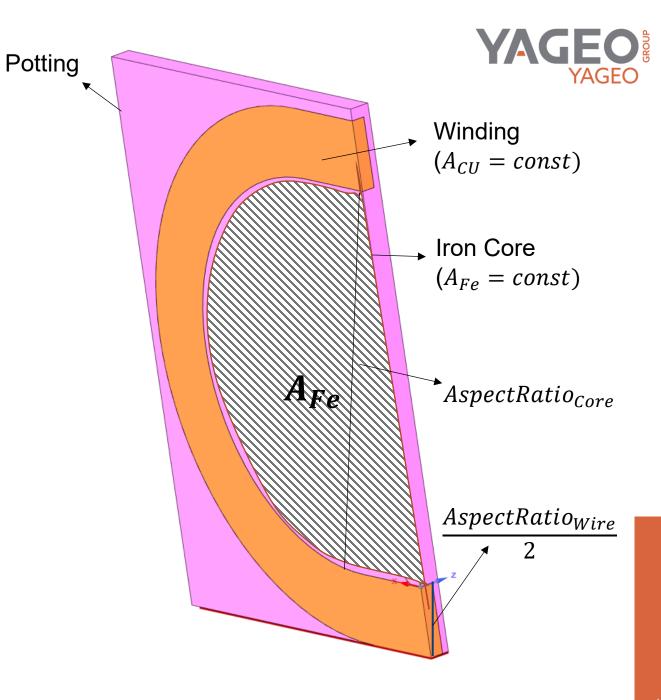
An inductor wound with flat wire is shown here as an example. This example is intended to show how the core and winding geometry can be optimized, both commercially and technically.

In principle, the result applies to all winding types (round wire and stranded wire) with minor adaptations

The idea is not to make a circular winding, but a stadium-shaped one. This means more copper length and therefore higher winding resistance but a better thermal connection for cooling.

The following assumptions are made for simplification purposes:

- The inductance should be constant and thus the iron cross-section (A_{Fe})
- The current density J should be constant



Boundary conditions and excitations

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The copper losses change with the copper temperature. Therefore, the final temperature must be calculated in iterations in the FEM simulation.

Heat equation:

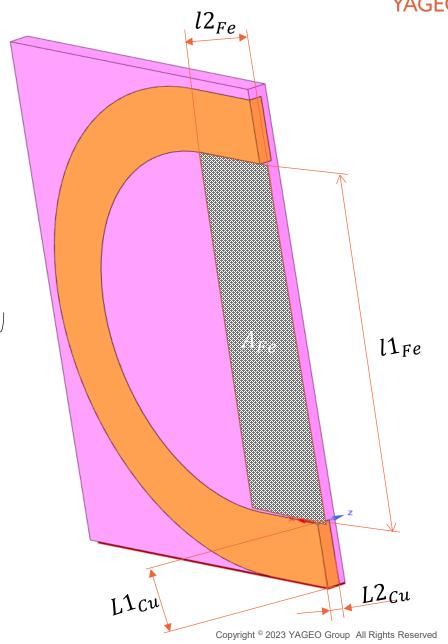
$$\rho c \dot{T} = k \cdot div \ grad \ T + \dot{Q}_{v}^{""}$$

$$\rho \cdot c \cdot \frac{\partial T}{\partial t} = k \cdot \frac{\partial^2 T}{\partial x^2} + k \cdot \frac{\partial^2 T}{\partial y^2} + k \cdot \frac{\partial^2 T}{\partial z^2} + I^2 \cdot R(T_0) \cdot e^{\int_{T_0}^T k \cdot dT} dt$$
0 for static
$$\dot{Q}_{v}^{""}$$

The problem with the equation is that the solution to the equation (the temperature) occurs as a derivative of it.

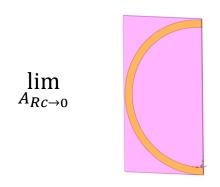
In addition, depending on the material, the thermal conductivity k is also a function of temperature.

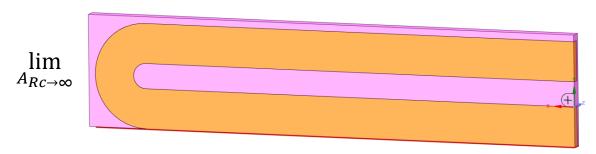
→ We don't want to solve this manually

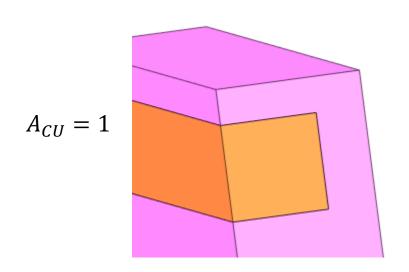


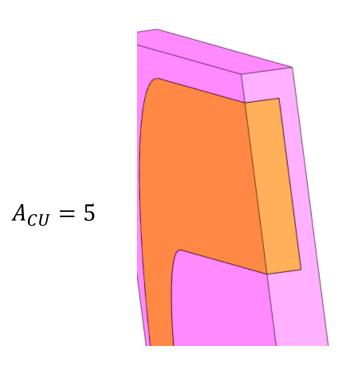
Aspect Ratios





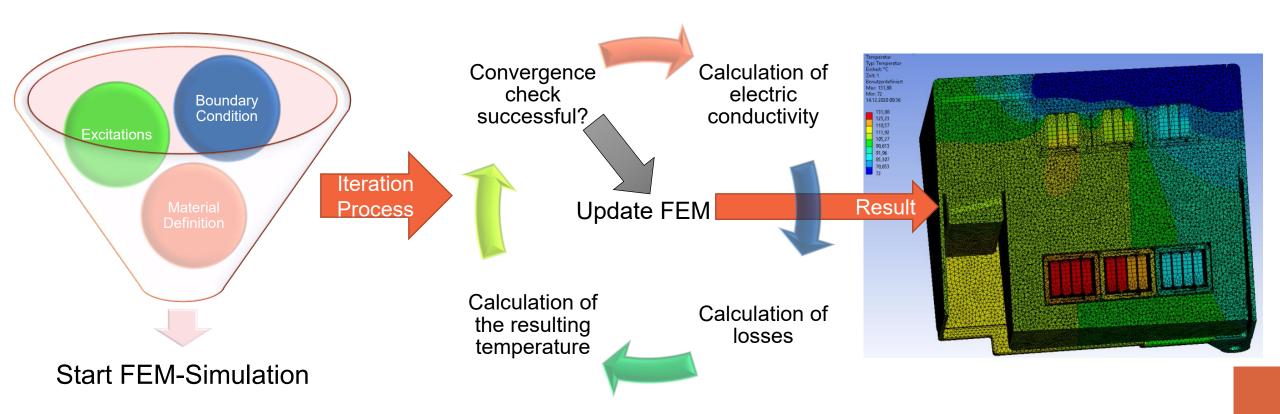






Simulation Process

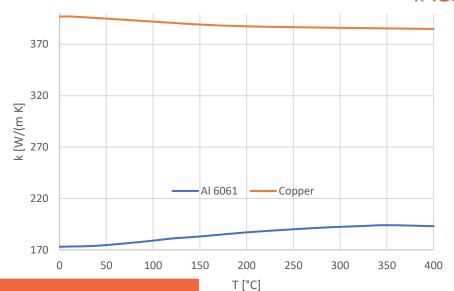




Materials



Reference Design								
Application	Material	$k\left[\frac{W}{m\cdot K}\right]$	Usage [% of total]	Price/kg [%]				
Wire	Copper	380						
Housing	Aluminum	200	100	100				
Insulation	PI-Tape	0.3						
Potting	Polyurethane	0.5						



BOM Costs (incl. Capacitors, PCB, ...): 100%

Optimized Design									
Application	Material	$k\left[\frac{W}{m\cdot K}\right]$	Material Costs [% Compared to Reference]	Usage [% Compared to Reference]	Costs [% of total]				
Wire	Copper	380	100	50	50				
Housing	Polyamide	0.25	30	100	30				
Baseplate	Al2O3	24	30	100	30				
Potting	Silicone filled	4	400	25	100				

BOM Costs (incl. Capacitors, PCB, ...): 60 %

Sensitivity Study



To describe the effects of the input variables on the output variables, a sensitivity study was carried out.

The input variables are:

- Aspect ratio of the wire
- Aspect ratio of the core
- Potting material
- Potting height
- Production-related distance between winding and cooling plate

The output variables are:

- Maximum occurring temperature
- Mean value of the temperature
- Total mass
- Total price (consisting of copper, cooling plate and potting compound)
- Total losses (calculated from the voltage drop, considering the change in resistance due to a change in temperature, and constant current)

In order to obtain randomly distributed samples in this multidimensional distribution, Latin-hypercube- sampling (LHS) was used as sampling method.

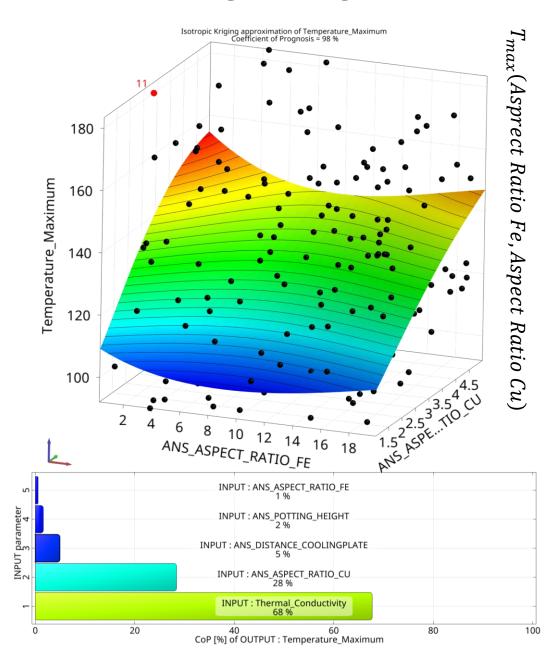
Sensitivity Study - Correlations

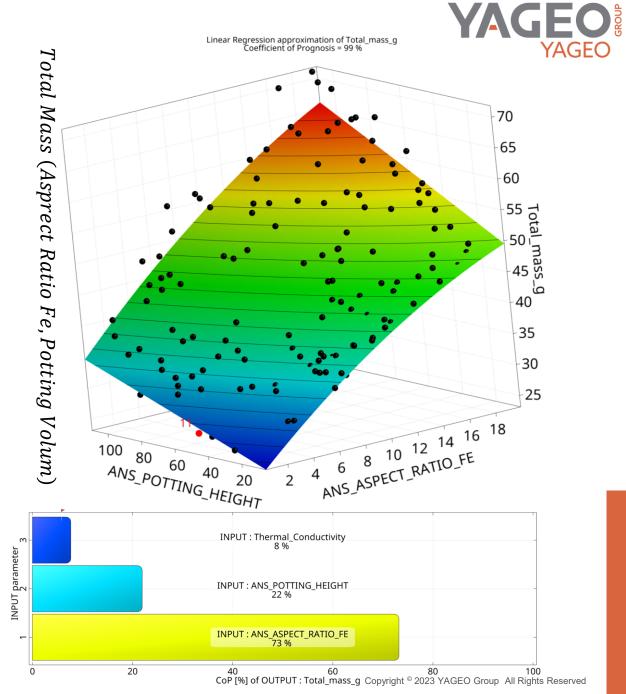


The correlation matrix shows how an input parameter affects an output value.



Sensitivity Study



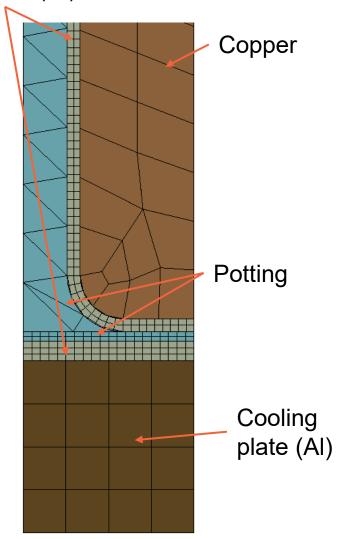


Insulation



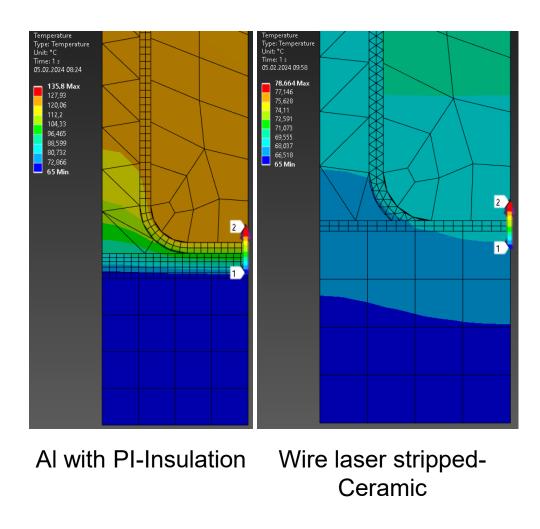
Insulation (PI)

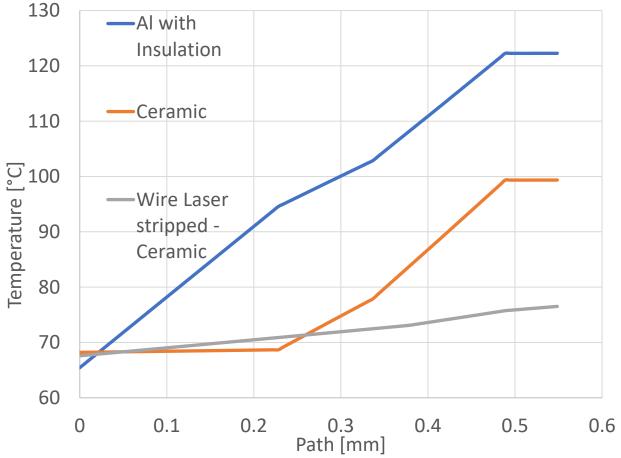
- Depending on the insulation class (functional insulation, basic insulation, etc.), conductive parts must be insulated. In this case, the cold plate if it is made of aluminum.
- Reinforced insulation with 3 layers of polyimide film, each 0.076 mm thick, was assumed here.
- Due to the poor thermal conductivity of polyimides, a large temperature gradient is formed here.
- As a remedy, the cooling plate can be made of electrically insulating aluminum oxide. The additional insulation can then be omitted, but the thermal conductivity is only a tenth of that of aluminum.



Insulation

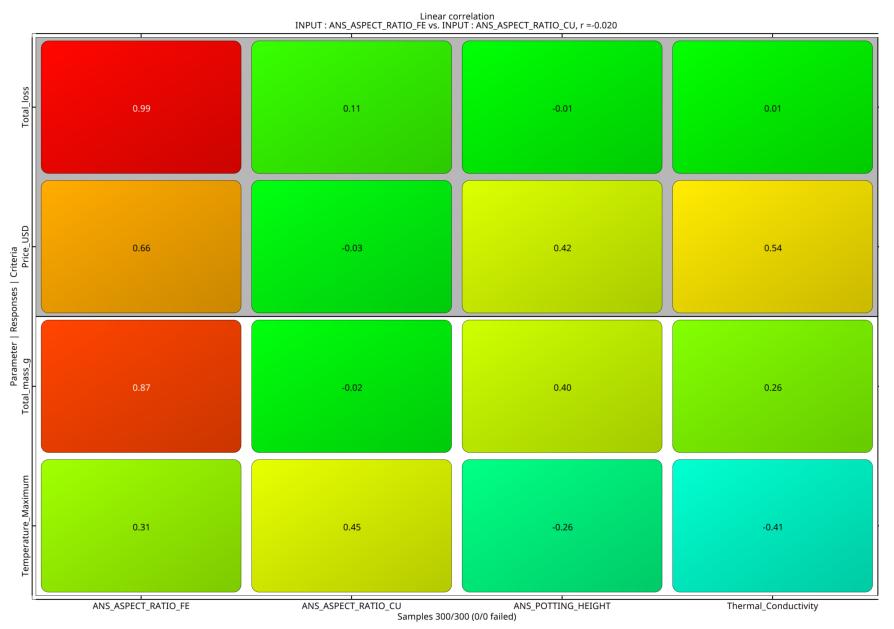






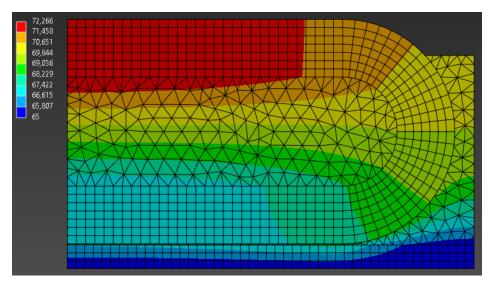
Sensitivity Study – Correlations without Insulation

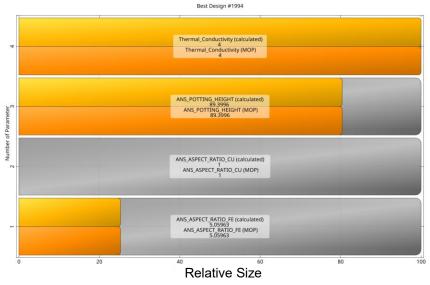


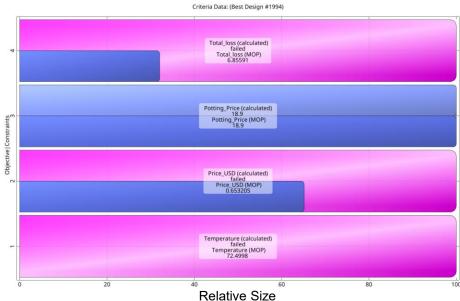


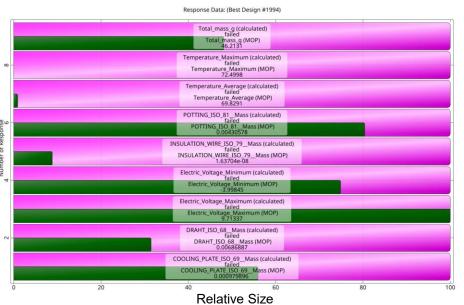
Optimal design regarding Size







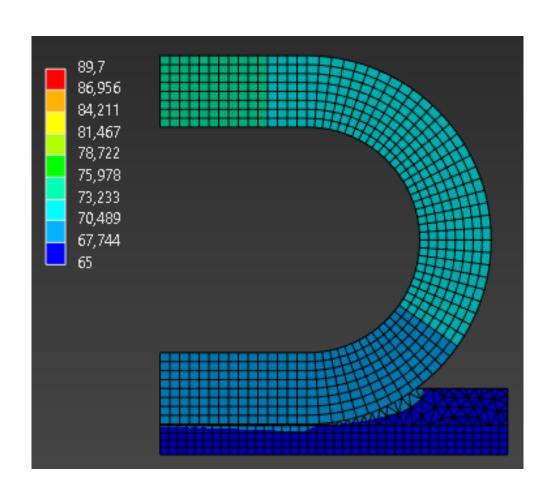


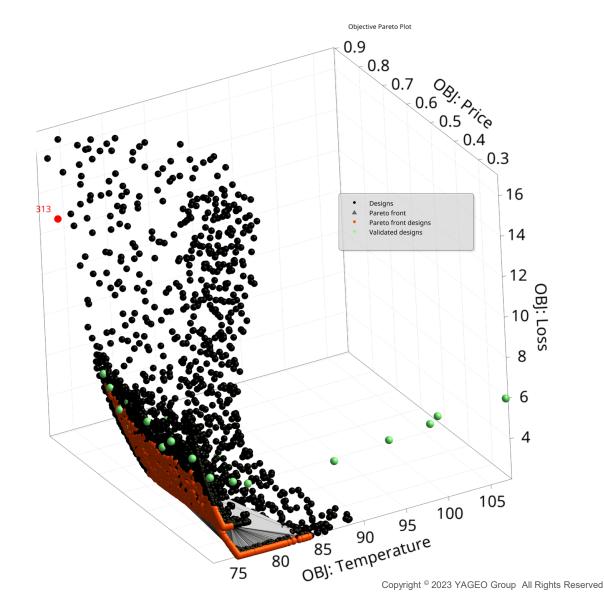


Optimal Design regarding Temperature, Price and Losses



One example design from the Pareto front





Optimal Design regarding Temperature, Price and Losses



Design(s): 2090,2149,2355,2362,2666,3065,3159,3696,3899,4067,4881,5488,5676,5826,5933

