

MULTI-PHASE POWER MEASUREMENTS WITH AN OSCILLOSCOPE

IEEE LI Power Electronics Symposium
2025 November 6

ROHDE & SCHWARZ

Make ideas real



AGENDA

- Types of Multi-phase Measurements
- Power Measurements on an Oscilloscope
- Multi-Phase Buck Converter
- 1 and 3 Phase Inverter Measurements

Types of Multi-phase Measurements



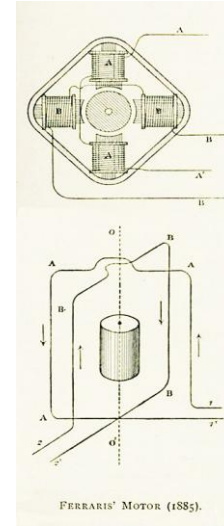
MULTI-PHASE APPLICATIONS

Oscilloscopes provide multiple channels that are time aligned, allowing easy measurement of timing events between different signals

In Power Applications, multiple phases are used in both power transmission and power conversion

AC Line Power – 3 phase (may be moving to 6 phase)

Inverters and Motor Drives – single and three phase are both common



https://en.wikipedia.org/wiki/Three-phase_electric_power

MULTI-PHASE APPLICATIONS

Buck Converters – Multiple Phases in a single converter to provide more current output

2 Multiphase Buck Regulator Overview

A multiphase buck regulator is a parallel set of buck power stages as shown in Figure 2-1 and Figure 2-2, each with its own inductor and set of power MOSFETs. Collectively, these components are called a phase. These phases are connected in parallel and share both input and output capacitors. During steady-state operation, individual phases are active at spaced intervals equal to $360^\circ / n$ throughout the switching period where n is the total number of phases. Figure 2-2 shows a TPS53679 multiphase controller demonstration board and TI power stages for a six-phase design.

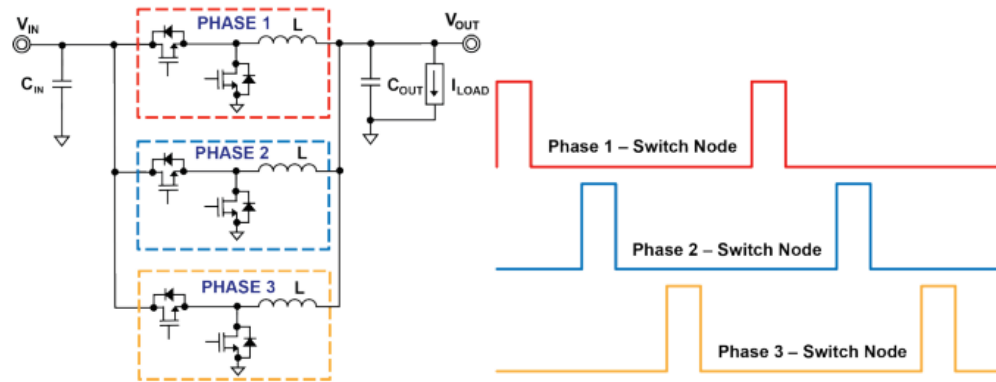


Figure 2-1. Multiphase Regulator Example

<https://www.ti.com/lit/an/slva882/slva882.pdf>

Power Measurements on an Oscilloscope



POWER BASICS

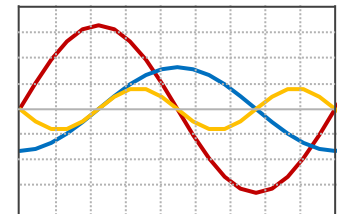
$$P=VI$$

- ▶ What Voltage, and Current are used? (DC? Peak? Peak-to-Peak? Max? RMS?)
- ▶ What units is P given in?
- ▶ What if my supplied voltage is not DC or sinusoidal?
- ▶ What if my Load is not purely resistive?

Oversimplification leads to errors. A DVM or DMM is not always an appropriate tool to make these measurements. You need an Oscilloscope!

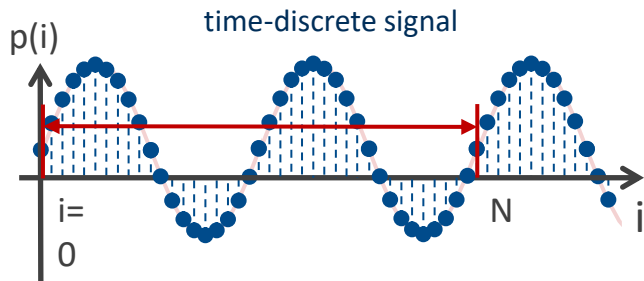
POWER BASICS

Oscilloscopes and Power Analyzers take advantage of ADCs that digitize the signal, and allow for analysis on full waveforms, characterizing correctly RMS values for current and voltage for non-ideal waveforms.

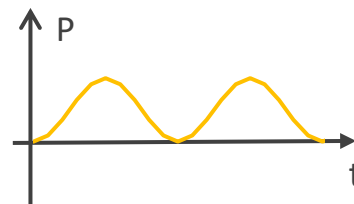


voltage current power

Yes, but!

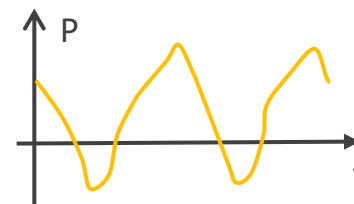


$$P = \frac{1}{N} \int_{i=0}^N p(i)$$



ideal world

no phase shift &
no distortion



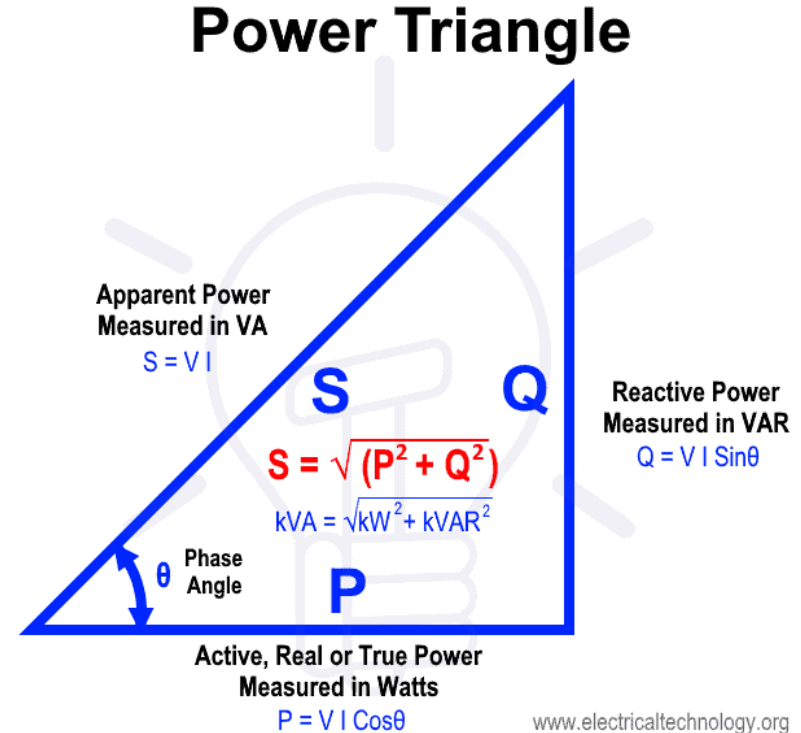
! real world !

phase shift &
distortion

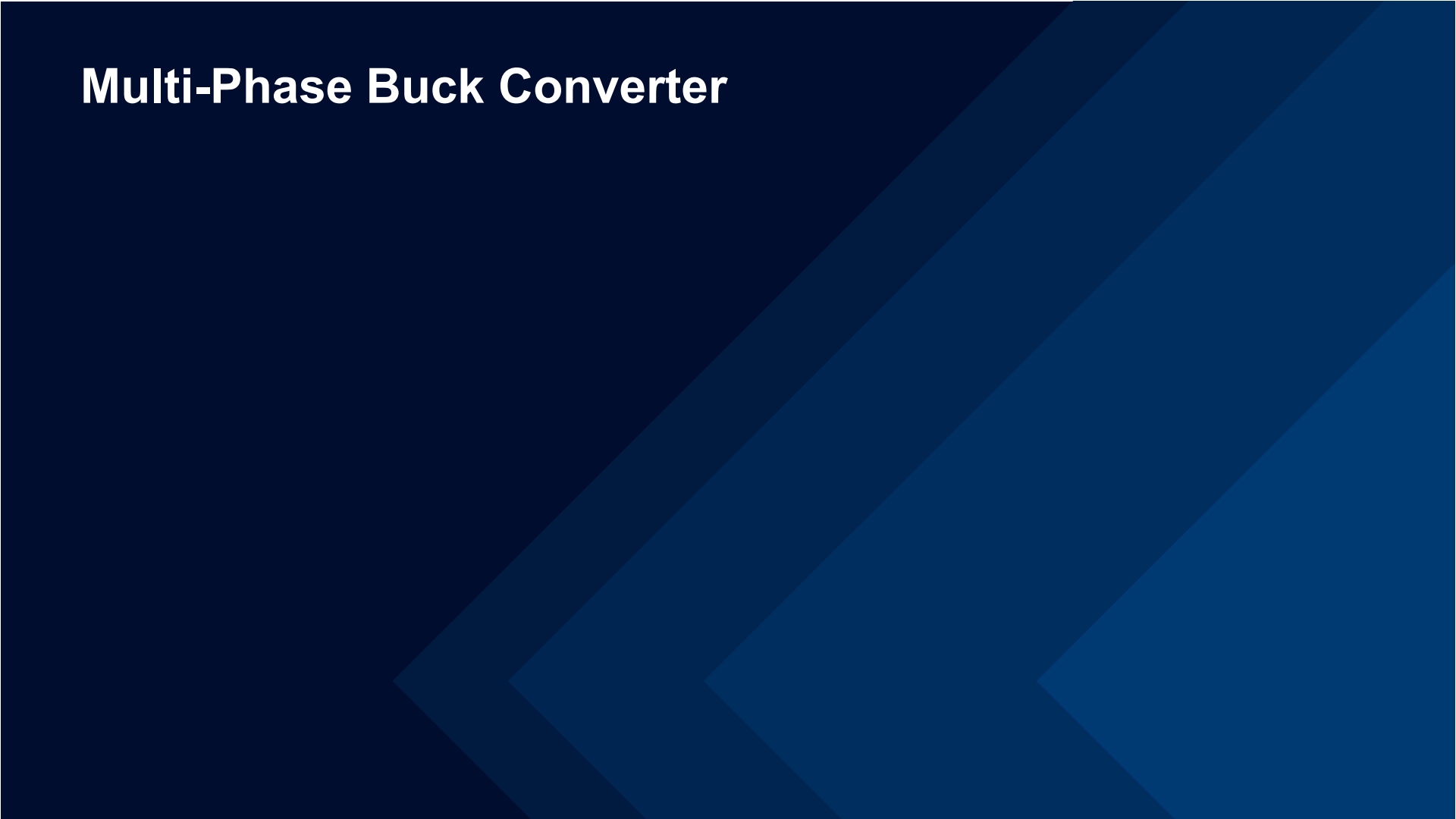
POWER TRIANGLE – A MORE COMPLETE LOOK

These values can be manually measured with an Oscilloscope. Measurements made across 1 cycle.

- Apparent Power (S , in $V \cdot A$) = $V_{rms} \cdot I_{rms}$
- Real (or Active or True) Power (P , in Watts) = Mean ($V \cdot I$)
- Reactive Power (magnitude in Q) = $\sqrt{S^2 - P^2}$
- Power Factor (λ) = P/S
- Phase Angle = $\cos^{-1} \lambda$



Multi-Phase Buck Converter



IN-SITU INDUCTOR CURRENT MEASUREMENT IN MULTI-PHASE BUCK CONVERTERS

► Application

- Measure current loading of multi-phase buck converter
- Observe PMIC control function

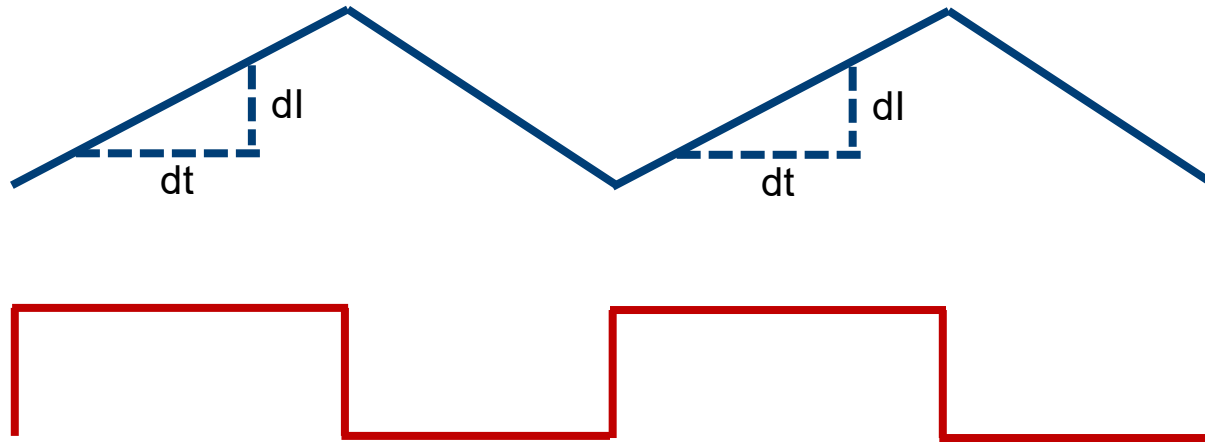
► Problem

- Access is generally limited due to the placement of many PMIC's and inductors
- Standard probes such as clamp-on, Rogowski, shunt resistor, etc. cannot be used

► Solution

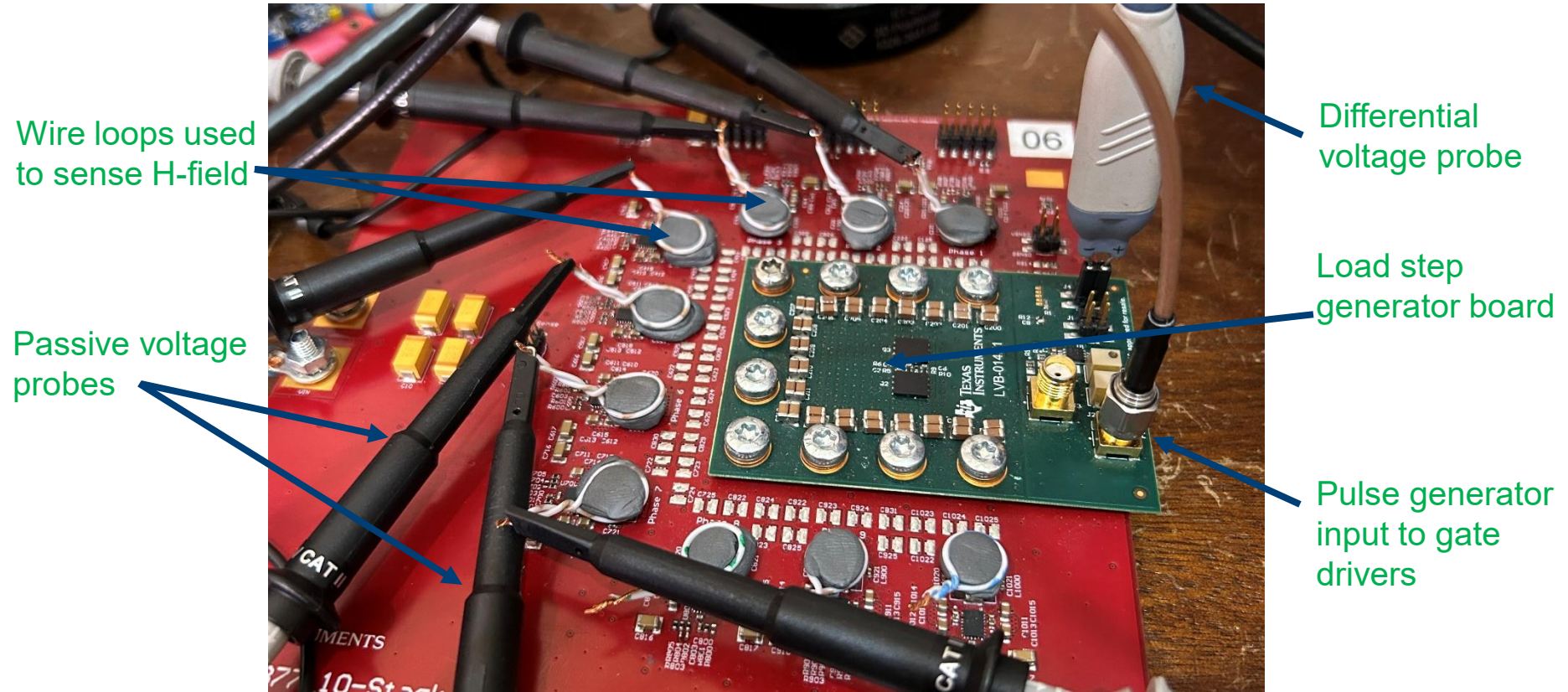
- Measure H-field using a near-field probe (non-invasive)
- Signal is a pulse proportional to the inductor current slope

MEASURING CURRENT USING A NEAR FIELD PROBE



α is a function of the probe geometry and gain

EXAMPLE MEASUREMENT ON A 10-PHASE BUCK CONVERTER



MEASUREMENT RESULTS – LOAD STEP



Near field signal for each phase (7 phases measured)

Track of pulse width

Slope times increase in response to load step. Track amplitude shows imbalance

MEASUREMENT RESULTS – LOAD STEP REMOVED



Near field signal
for each phase
(7 phases
measured)

Track of pulse
width

Switching stops
when load is
removed
(discontinuous
conduction)

MEASUREMENT RESULTS – NO LOAD



Near field signal
for each phase
(7 phases
measured)

Track of pulse
width

Constant
switching pulse
width

PHASE INTERLEAVING – NO LOAD

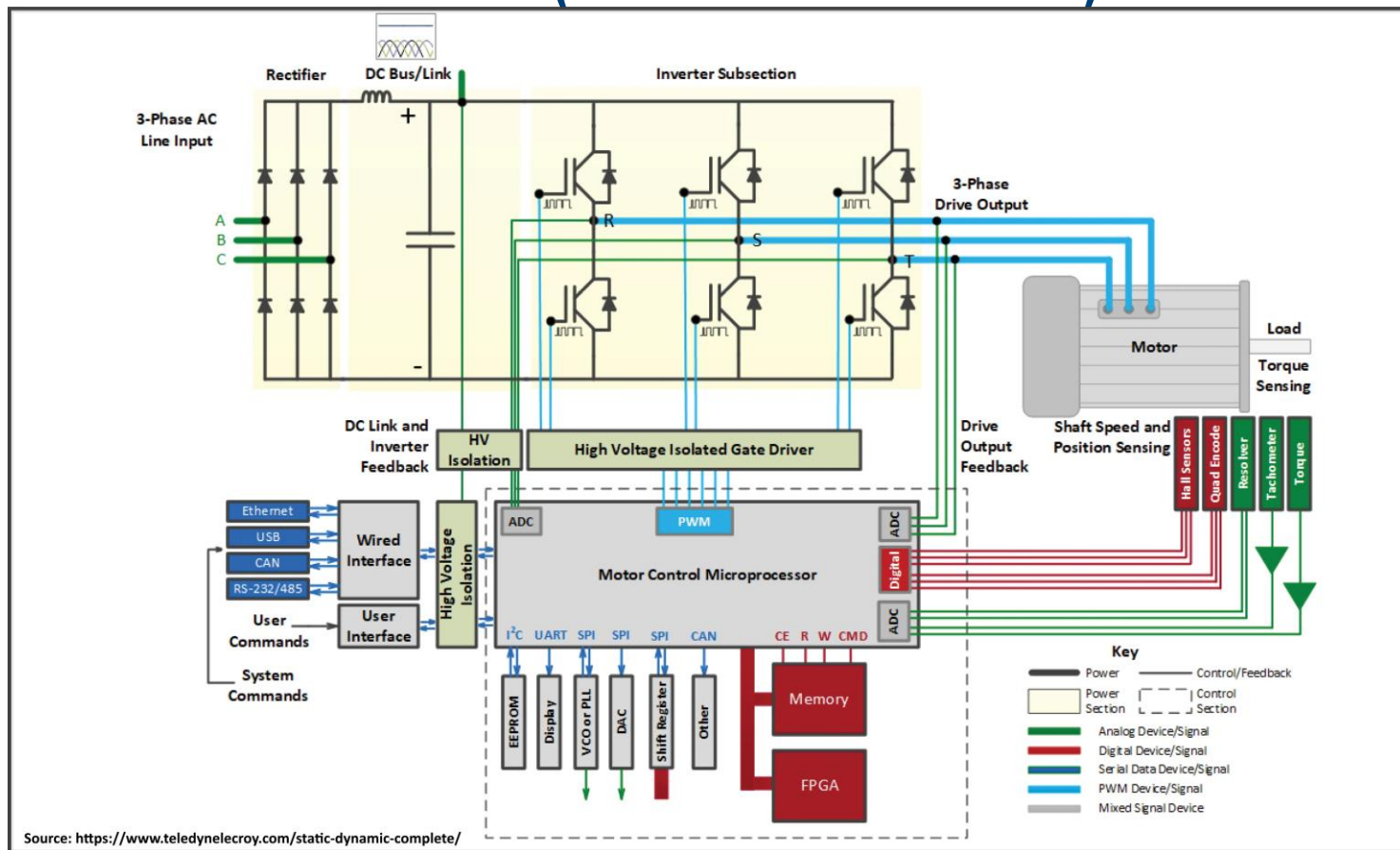


Not all phases
measured

1 and 3 Phase Inverter Measurements



TYPICAL MOTOR DRIVE (POWER INVERTER)



3-PHASE PMSM MOTOR

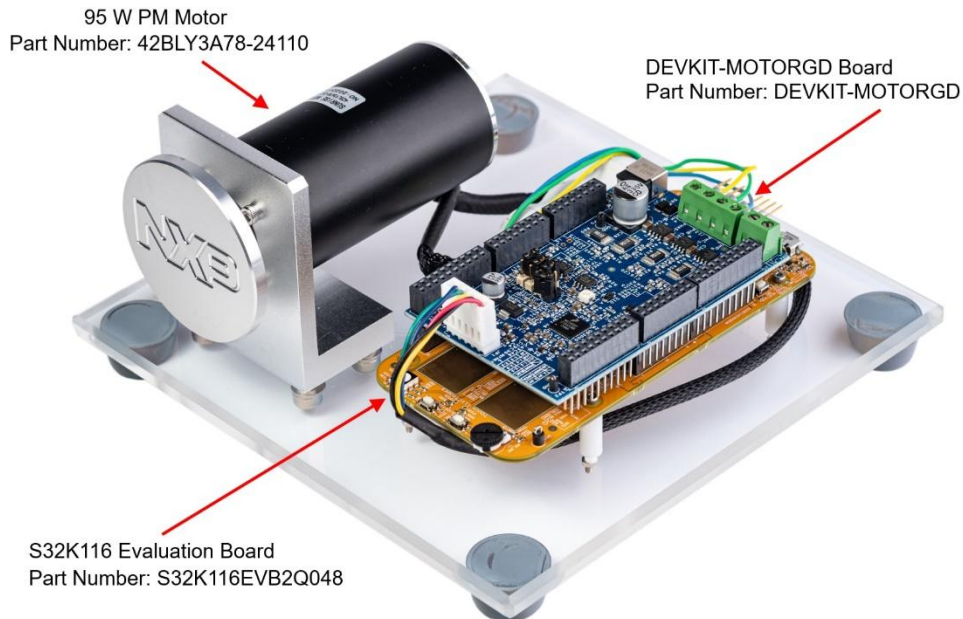
S32K116 BLDC/PMSM DEVELOPMENT KIT

Motor

- 42BLY3A78-24110: 3-phase PM motor, 24 V, 95 W, 9000 rpm, 6 A, 2 pole pairs

Power supply

- PSD-1270APL05: 12 V, 7 A + universal AC plug adapter



Permanent-Magnet Synchronous Motors

3-PHASE PMSM MOTOR

S32K116 BLDC/PMSM DEVELOPMENT KIT

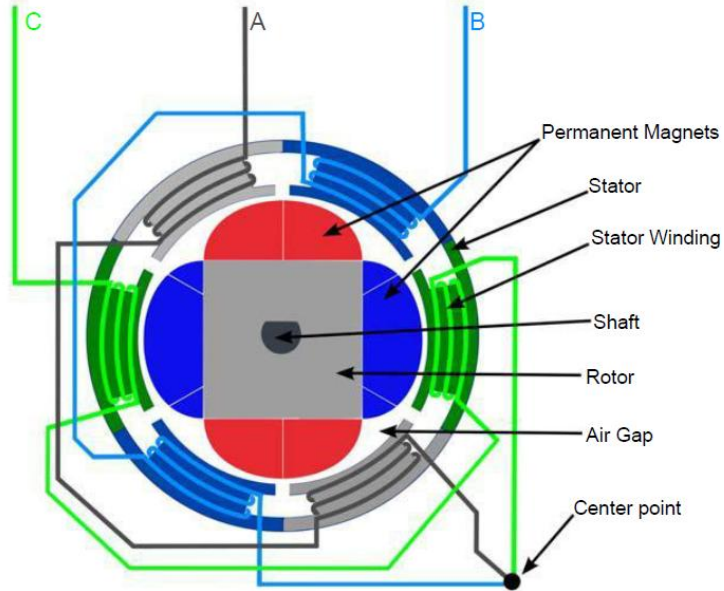


Figure 1. BLDC motor – cross-section

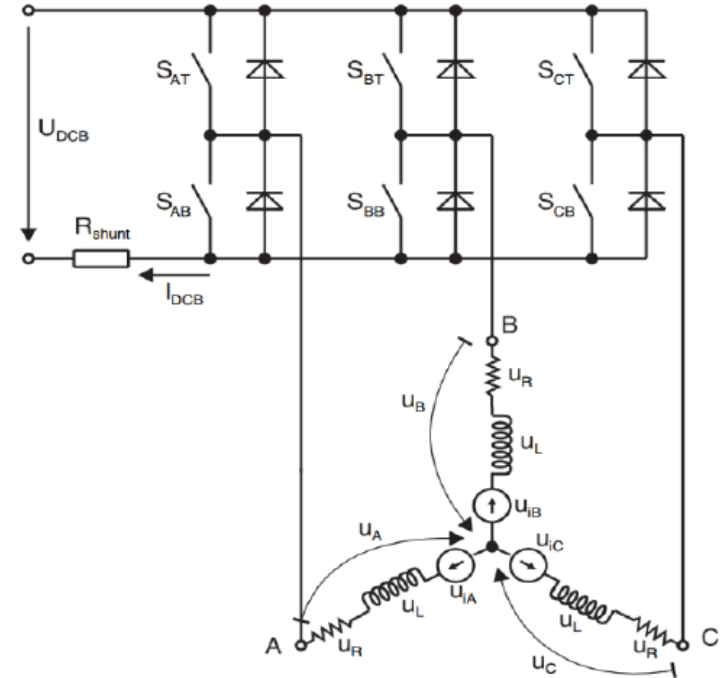


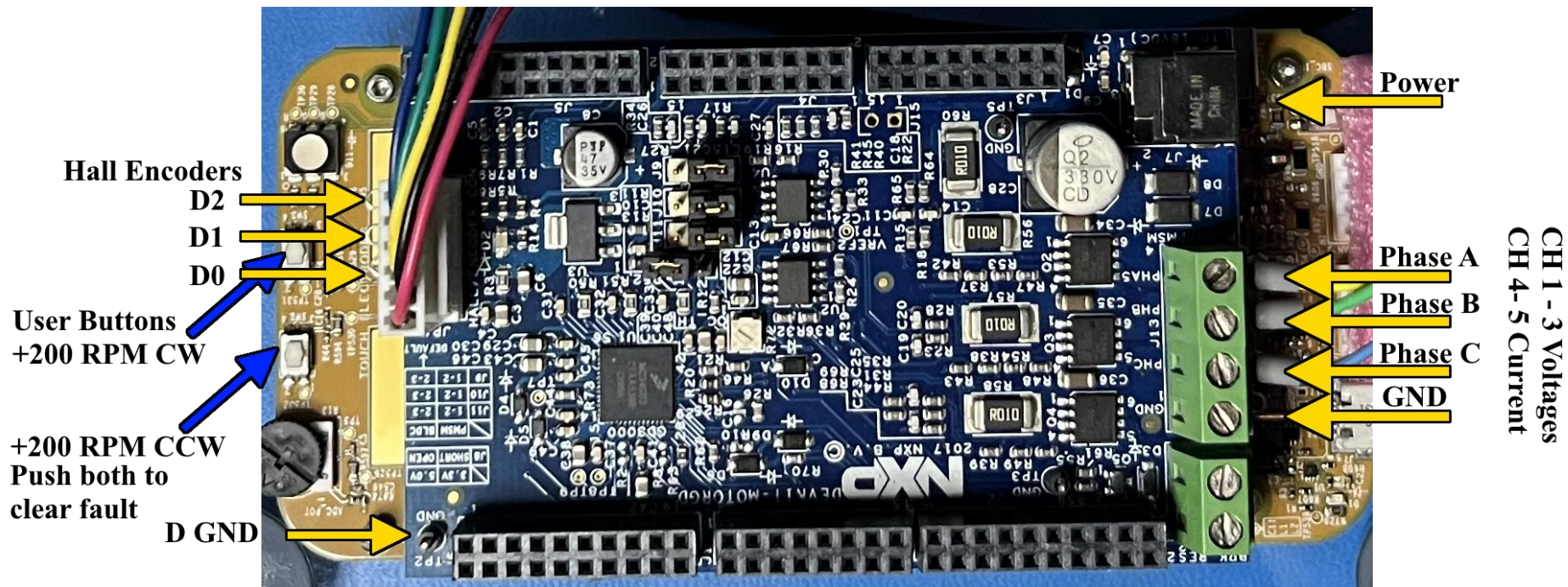
Figure 3. Power stage and motor topology

Note that this motor uses Half H-Bridge



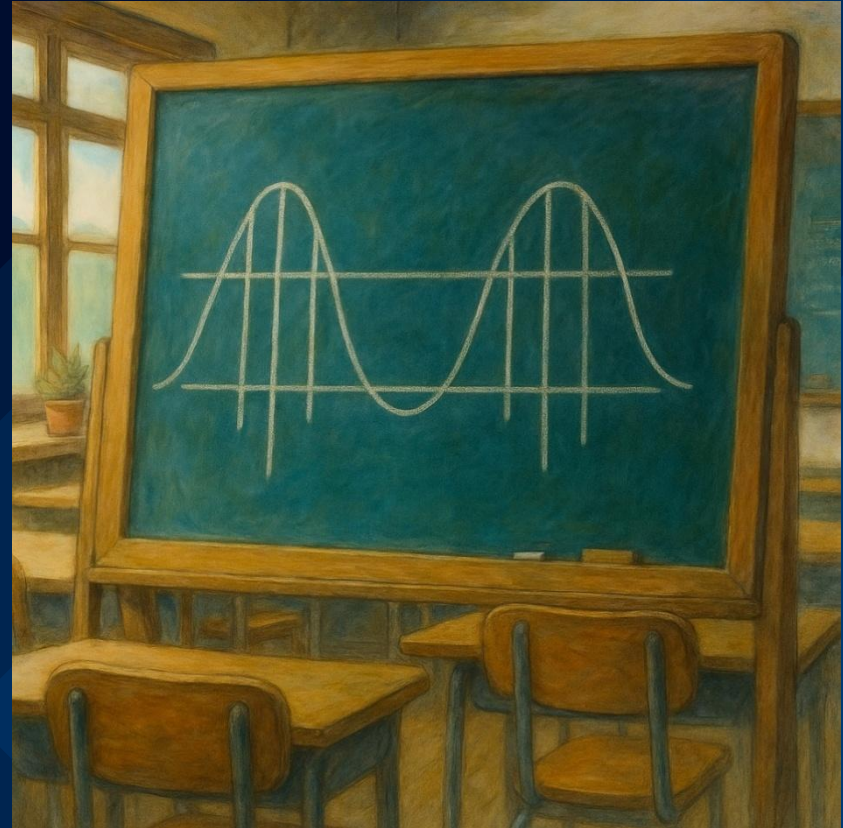
3-PHASE PMSM MOTOR

S32K116 BLDC/PMSM DEVELOPMENT KIT



What Measurements Can We Make?

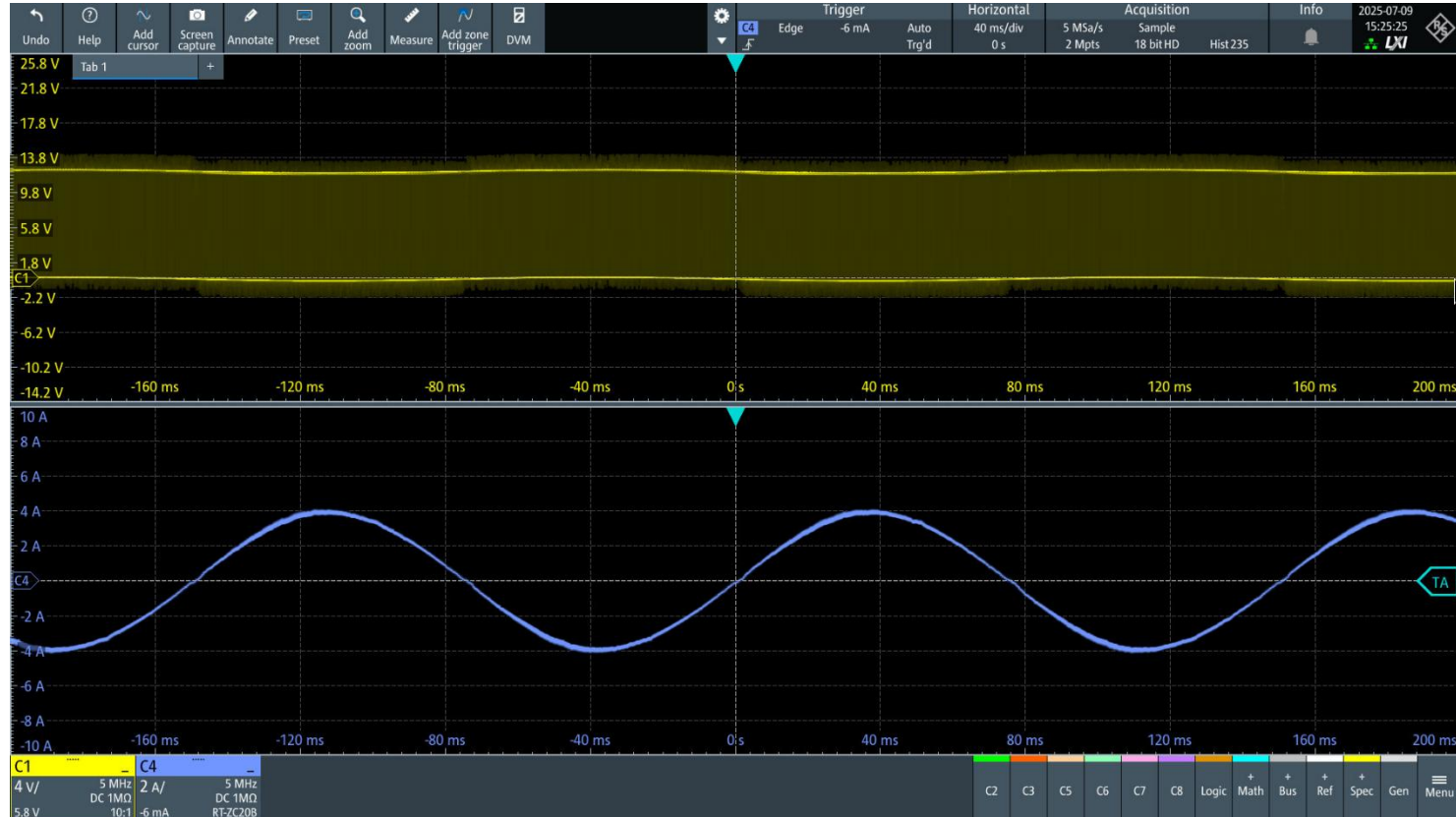
1 Phase



WHAT MEASUREMENTS CAN WE MAKE?

View of Phase A

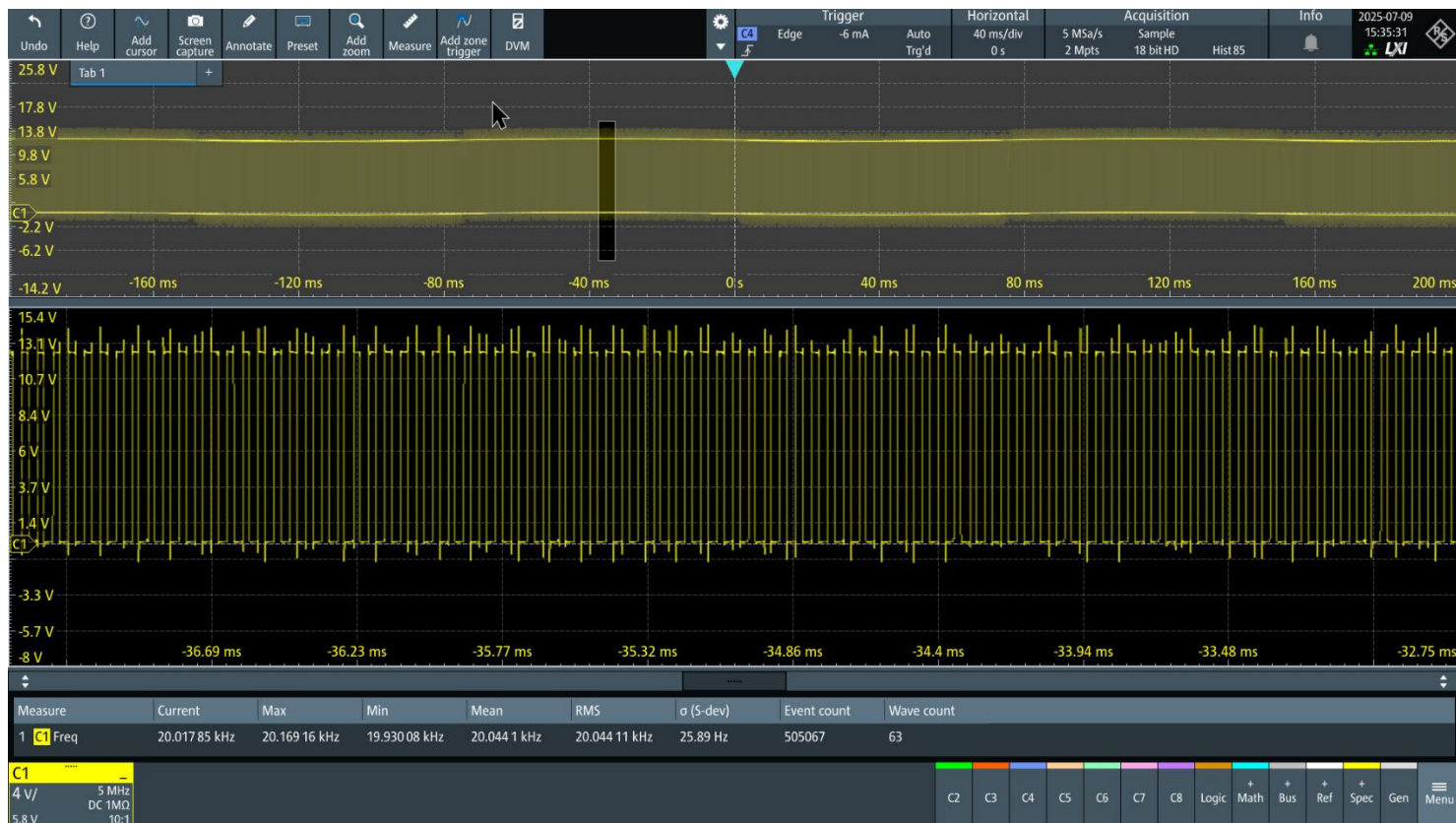
- Carrier Frequency
- % Duty Cycle change
- Motor Speed (RPM)
- V rms
- I rms
- VA
- P



WHAT MEASUREMENTS CAN WE MAKE?

Carrier (Switching) Frequency

- Simple frequency measurement on CH1, zoomed in to show the square wave



WHAT MEASUREMENTS CAN WE MAKE?

% Duty Cycle change

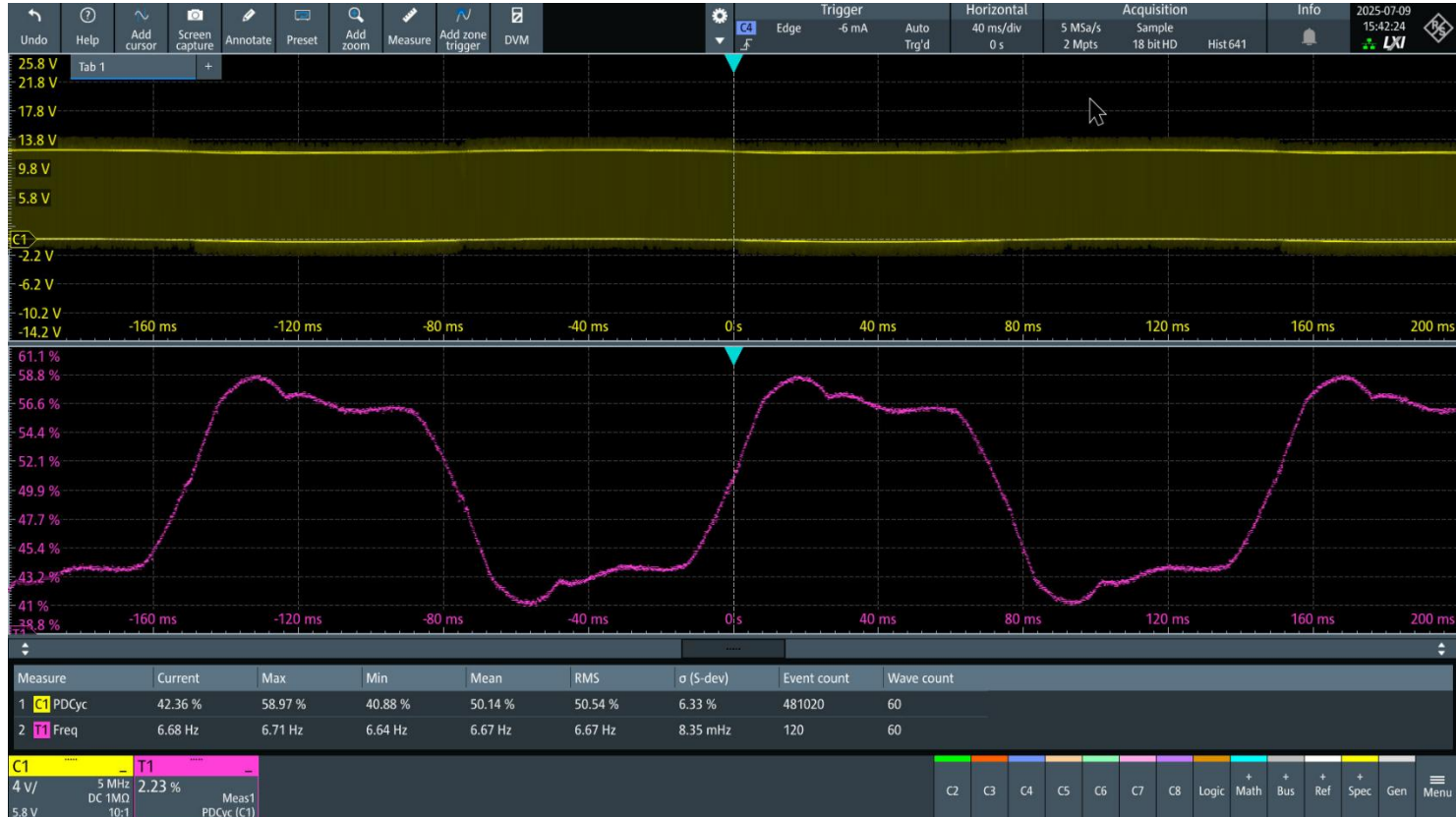
- Positive Duty Cycle Measurement
- Add a Track
- + and – values will be shown, but this can vary with the speed of the motor



WHAT MEASUREMENTS CAN WE MAKE?

Motor Speed (RPM)

- Requires a frequency measurement to show electrical cycles. Could be the PDCyc measurement, Current Measurement, or even the output of the Hall Encoders
- 6.68 Hz in this setup.



WHAT MEASUREMENTS CAN WE MAKE?

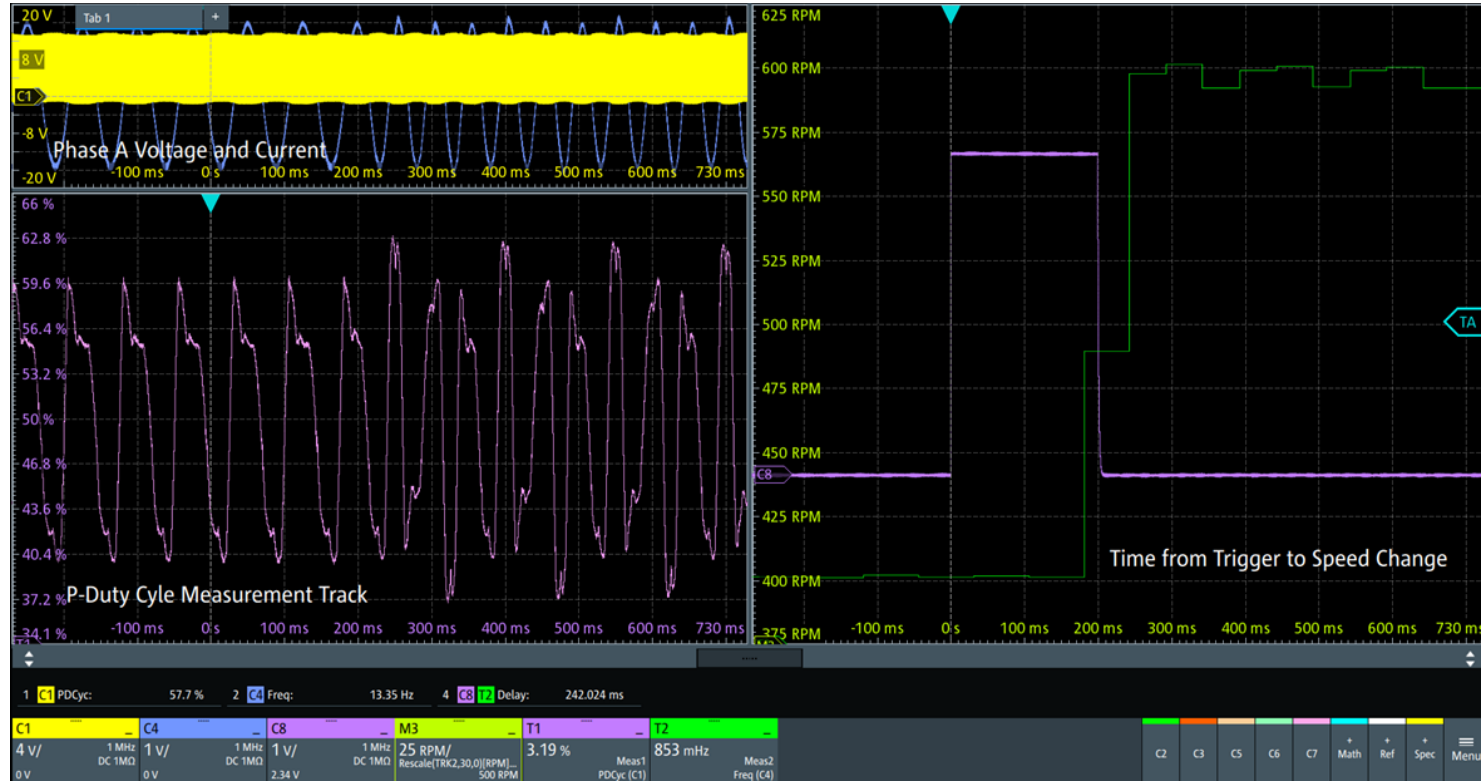
Motor Speed (RPM) – How do we get RPM from 6.68Hz?

- We know from the Motor specifications that there are 2 Polar Pairs. This means that there will be 2 electrical cycles per 1 mechanical revolution.
- $\text{RPM} = \text{Frequency} / (\# \text{ Polar Pairs}) * 60\text{s} = 6.68 / 2 * 60 = 200 \text{ RPM}$.
- We could make a math trace using this formula taking the track of a frequency measurement to show speed over time. (e.g. Rescale of Track * 30)
- AC Induction motor's speed are impacted by slip, and gear ratios, making the calculation more complex.

WHAT MEASUREMENTS CAN WE MAKE?

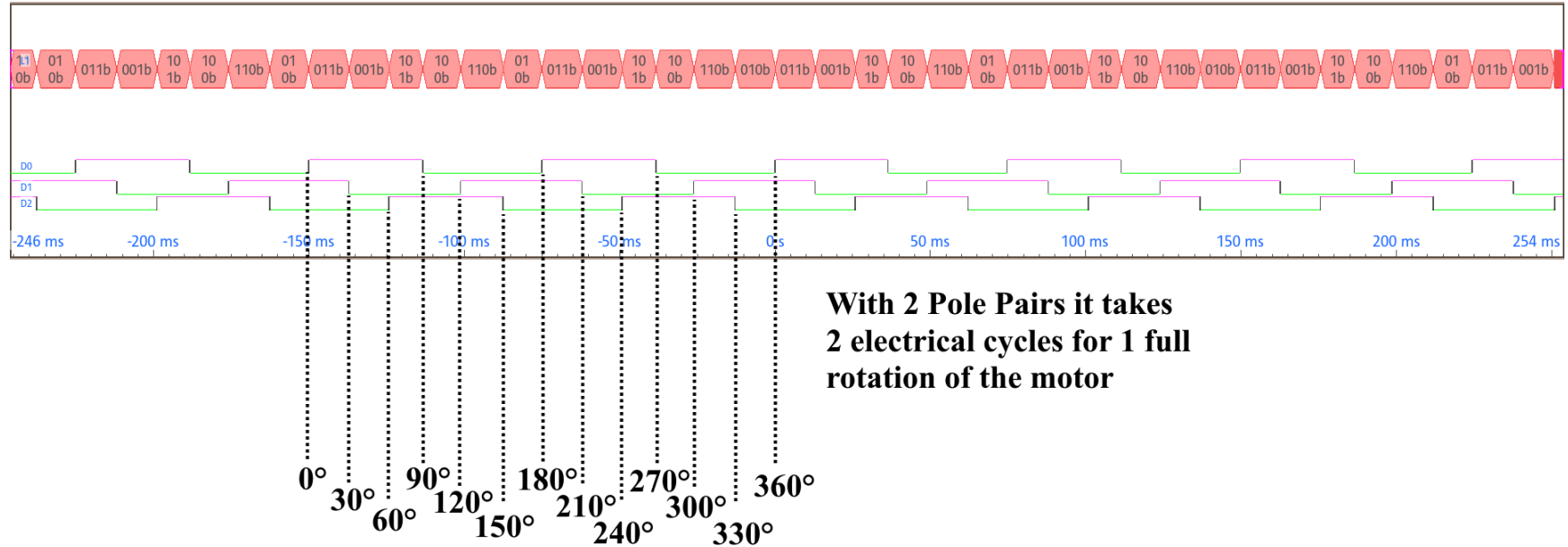
Time to Change Speed

- Using a rescale of the track of the frequency measurement of the track of the P-duty Cycle measurement of Phase A, we can plot the RPM of the motor
- Trigger on the Speed Change button, and measure delay until RPMs change



WHAT MEASUREMENTS CAN WE MAKE?

Motor Speed (RPM) –Hall Encoder



WHAT MEASUREMENTS CAN WE MAKE?

V and I rms

- To Accurately measure V_{rms} or I_{rms} , we need either a Cycle RMS measurement, or to capture enough cycles that a partial cycle in the measurement does not skew the results. Both have challenges.

Cycle RMS:

- Set up measurement Gate to cover 1 electrical cycle (can eyeball based on PDCyc track, of current measurement)
- Try to set up your total acquisition time to be an even multiple of an electrical cycle

Long Duration RMS measurement:

- This would take a large amount of data to do so well on an Oscilloscope, but we have a built in DVM that makes this easy. We can set its measurement period to a maximum of 1 second.

WHAT MEASUREMENTS CAN WE MAKE?

V_{rms}

- Both the gated RMS and the DC RMS with the Measurement time set to 1s agree
- 8.65V-ish



WHAT MEASUREMENTS CAN WE MAKE?

I rms

- Easier to measure, since its cycle is correct. Could use a Cycle RMS measurement, or any of the other two method
- 2.76 A



WHAT MEASUREMENTS CAN WE MAKE?

Apparent Power in VA

- Apparent Power is the power required to drive the circuit
- $V_{rms} * I_{rms}$

Scope Measurements:

- $8.65V * 2.76A = 23.874VA$

DVM measurements

- $8.64V * 2.72A = 23.5VA$

DVM is continuously running, so not including the waveform in acq memory



WHAT MEASUREMENTS CAN WE MAKE?

Active Power in W

- Active Power gets used up in the circuit
- Cycle Mean of the Power Waveform ($V \cdot I$)

Same Cycle challenges as with Voltage. Use the Gates and a Mean Measurement

1.562W



DERIVED POWER MEASUREMENTS

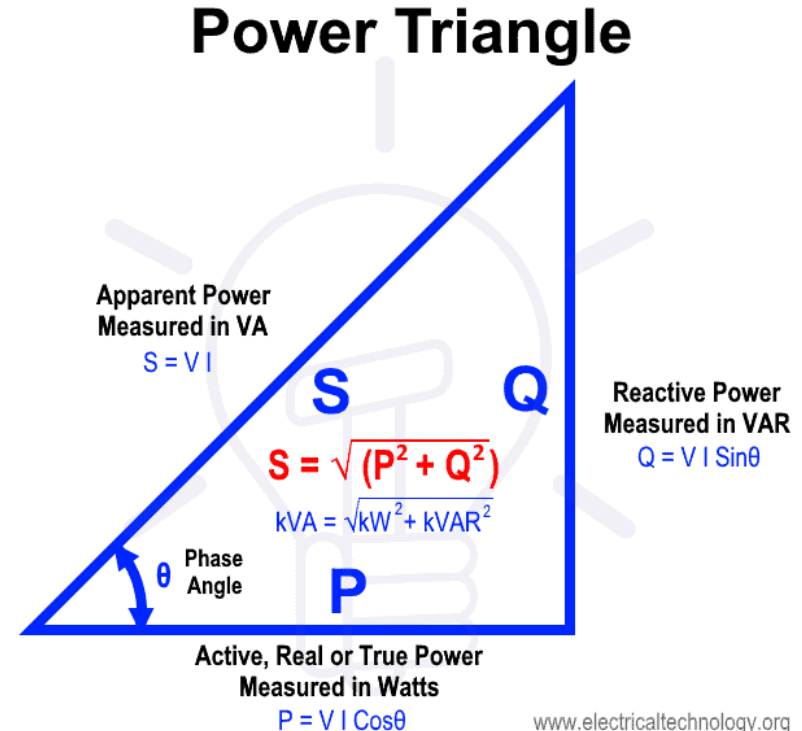
With a known Active and Apparent power, we can calculate the rest of the Power Triangle

$$S = 23.874\text{VA}, P = 1.562\text{W}$$

$$Q = \sqrt{S^2 - P^2} = \sqrt{23.874^2 - 1.562^2} = 23.82\text{ VAR}$$

$$\text{Power Factor} = P / S = 1.562 / 23.874 = 0.065 \lambda$$

$$\text{Phase Angle} = \cos^{-1} \lambda = \cos^{-1} 0.065 = 86.24 \text{ degrees}$$



www.electricaltechnology.org

DOES OUR PA SOFTWARE AGREE?

That Pesky Cycle Issues creeps in again

The PA (Power Analyzer) software grabs the cycle from our carrier frequency on Ch1. The Mean and RMS measurements are closer, using all 8K events. Setting the Fund. Frequency manually doesn't change how the cycles are sliced and calculated.

Solution –
Trick* the PA software, swap sources for I and V



DOES OUR PA SOFTWARE AGREE?

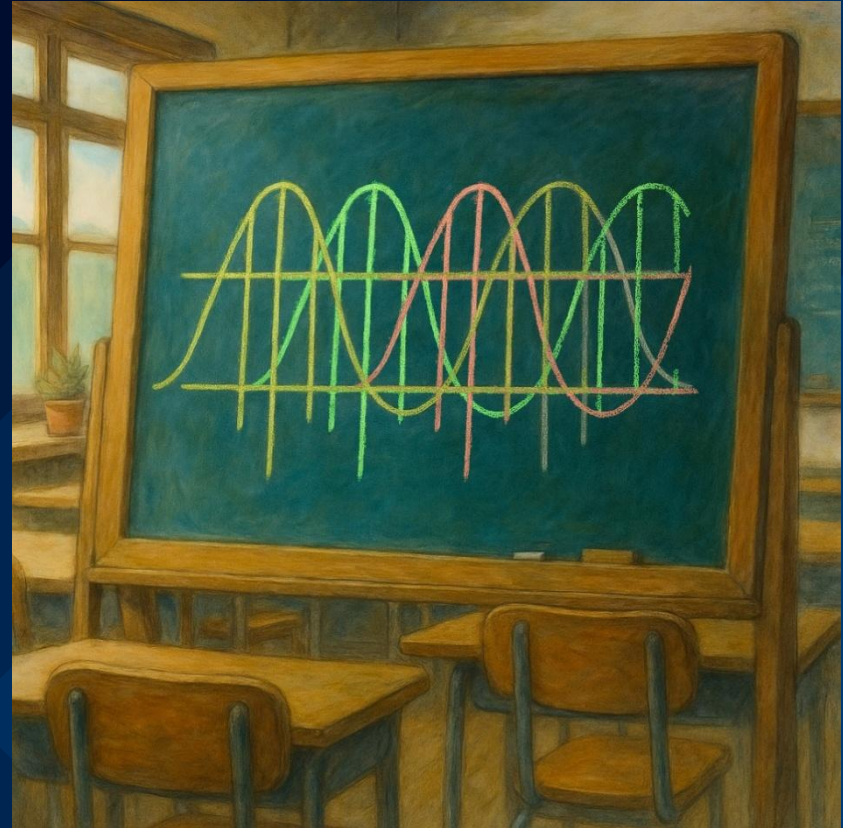
Compare to Calculated Results

$V_{rms} = 8.65V$
 $I_{rms} = 2.76 A$
 $P = 1.562W$
 $S = 23.874VA$
 $Q = 23.82 VAR$
 $PF = 0.065 \lambda$
Phase = 86.24
degrees



What Measurements Can We Make?

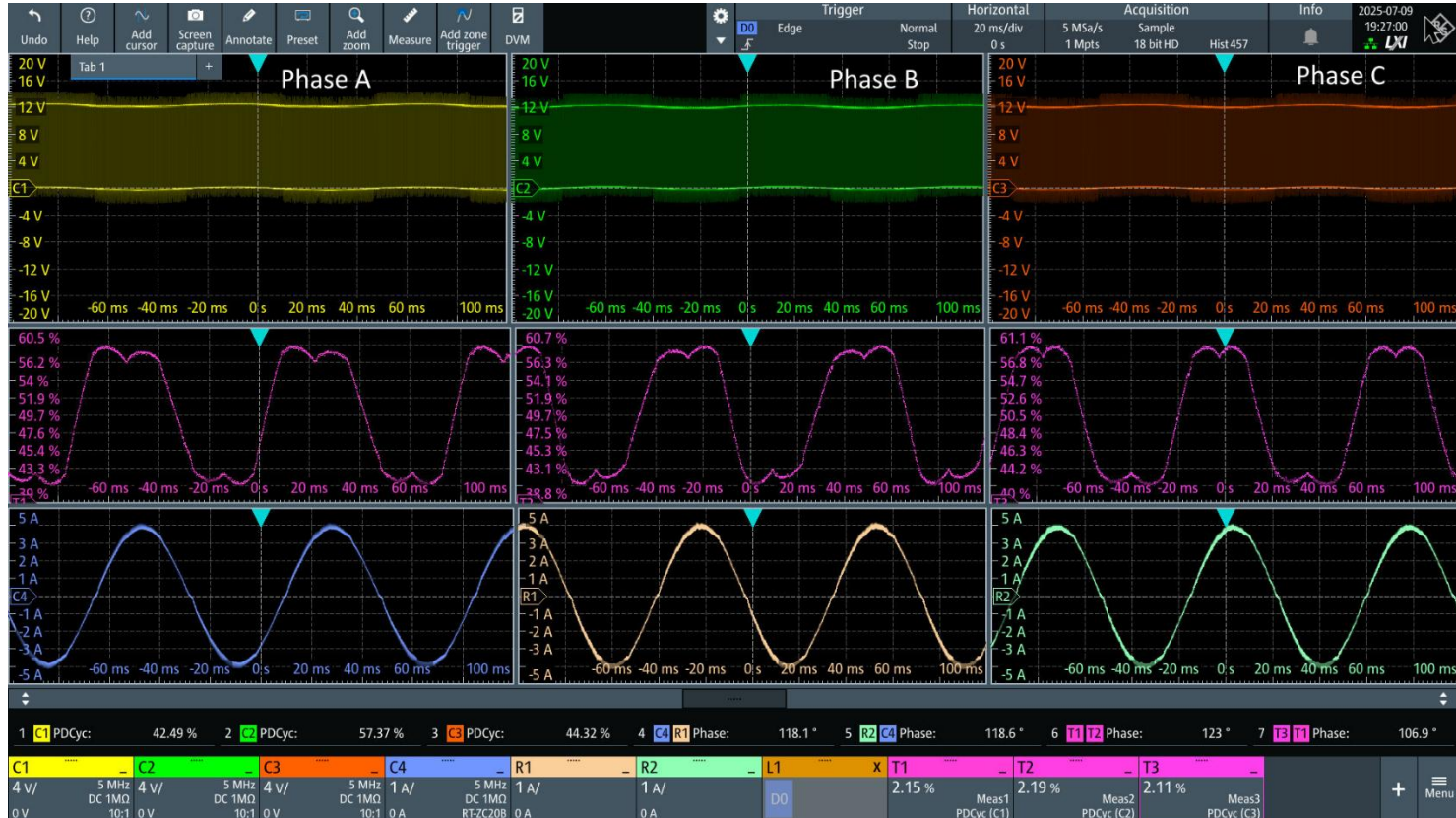
3 Phases



PHASE TO PHASE MEASUREMENTS

Compare the Phases of the Duty Cycle Tracks to the Current waveforms

We expect these to be 120 degrees apart for a balanced system. They are very close.



WHAT ABOUT TOTAL POWER OF ALL 3 PHASES

Three Wattmeter Method

The total power (P, S, Q) of the system is the Sum of all 3 together. If the system is balanced, we can assume it is 3x of any individual leg measurement.

Two Wattmeter Method

In many systems, the voltages cannot be measured for each phase from line-to-neutral. Instead we have to measure them line-to-line.

Let's test it out!

THREE WATTMETER METHOD

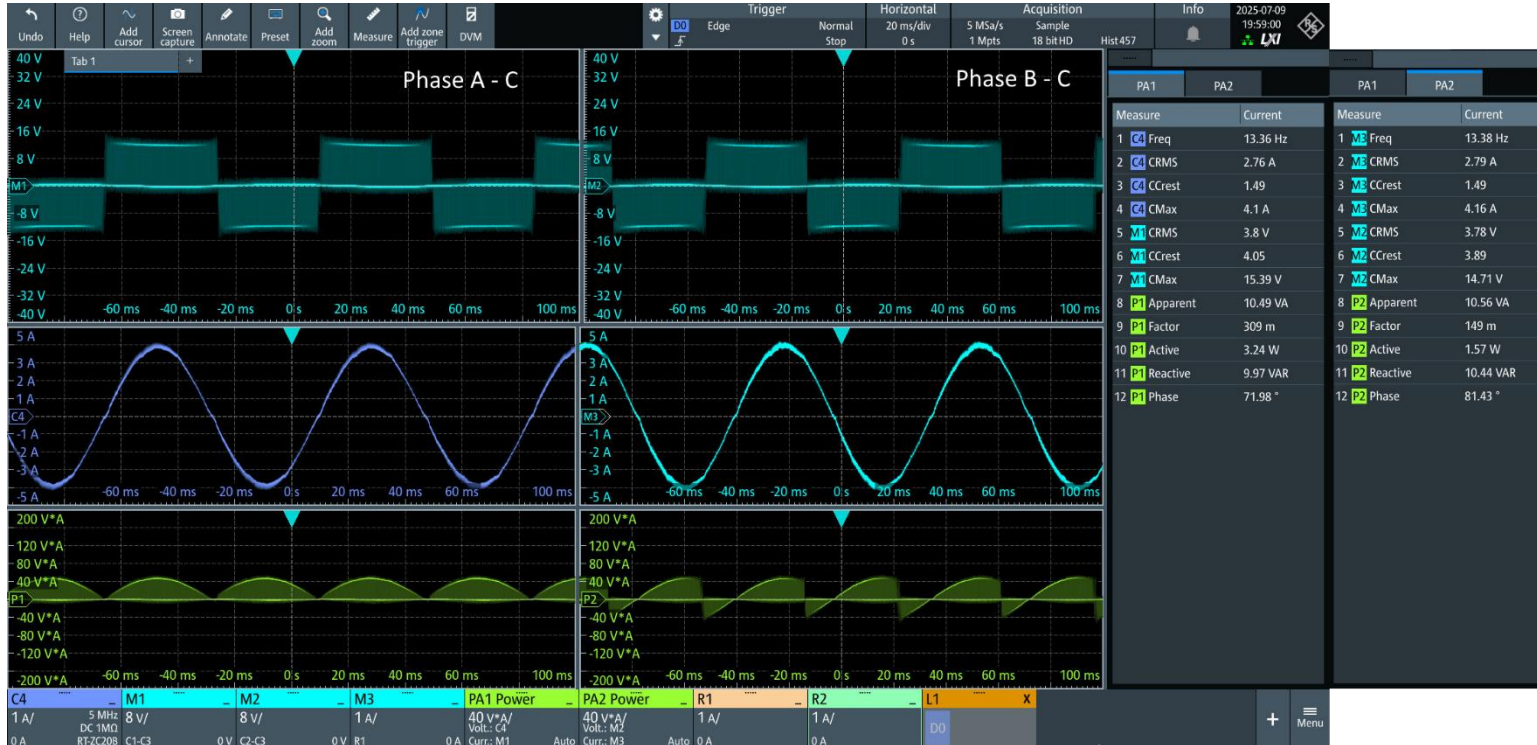


P total = 4.25W

S total = 71.39VA

Q total = 71.27VAR

TWO WATTMETER METHOD



P total = 4.8W S total = 21.05VA Q total = 20.41VAR

RESULTS COMPARED

P total = 4.25W	S total = 71.39VA	Q total = 71.27VAR	3 Wattmeter Method
P total = 4.8W	S total = 21.05VA	Q total = 20.41VAR	2 Wattmeter Method

P is close (ish), but S and Q are very far off? What's going on?

Answer – Apparent power is heavily impact by the DC offset of the signals and the harmonic content of the carrier. This also impacts the viewed values of Q, but does not have as large of an impact on P.

RESULTS COMPARED

In our Power Analyzers we handle this with a dual path A/D converter, one for narrow band and one for wideband.

Our Oscilloscope by default is Wideband, but it has tools that allow us to get a narrow band measurement.

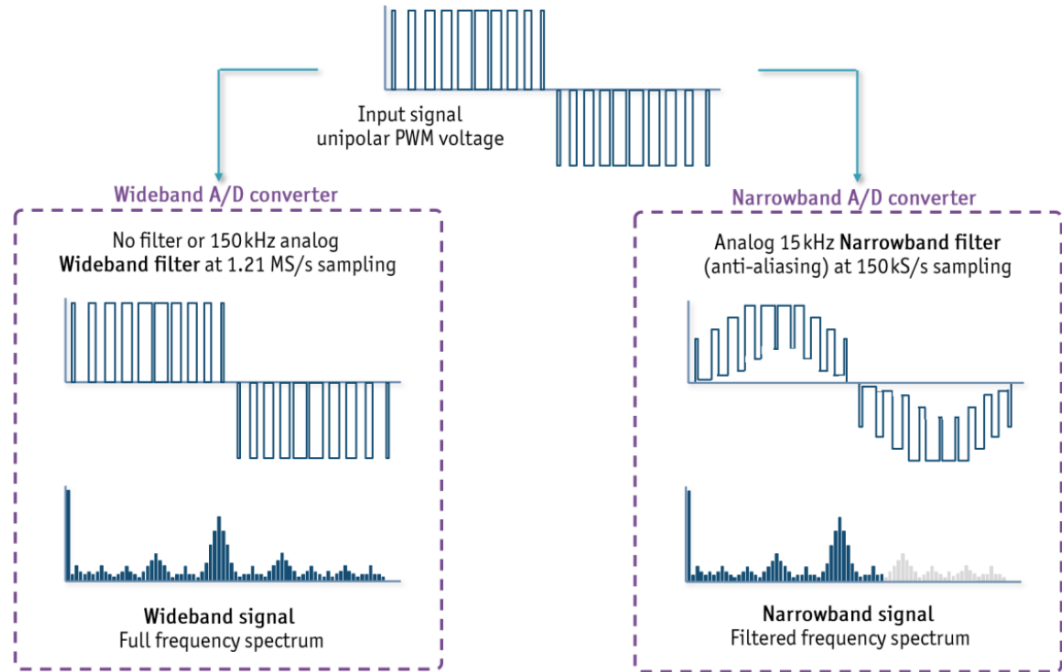


Figure 4: Schematic representation of the LMG600 series DualPath signal processing

RESULTS COMPARED

Wideband spectrum
of the Voltage for
Phase A



RESULTS COMPARED

Narrowband
spectrum of the
Voltage for Phase A

AC Coupling to
remove DC
component

HD Mode Filter set
to 1KHz BW

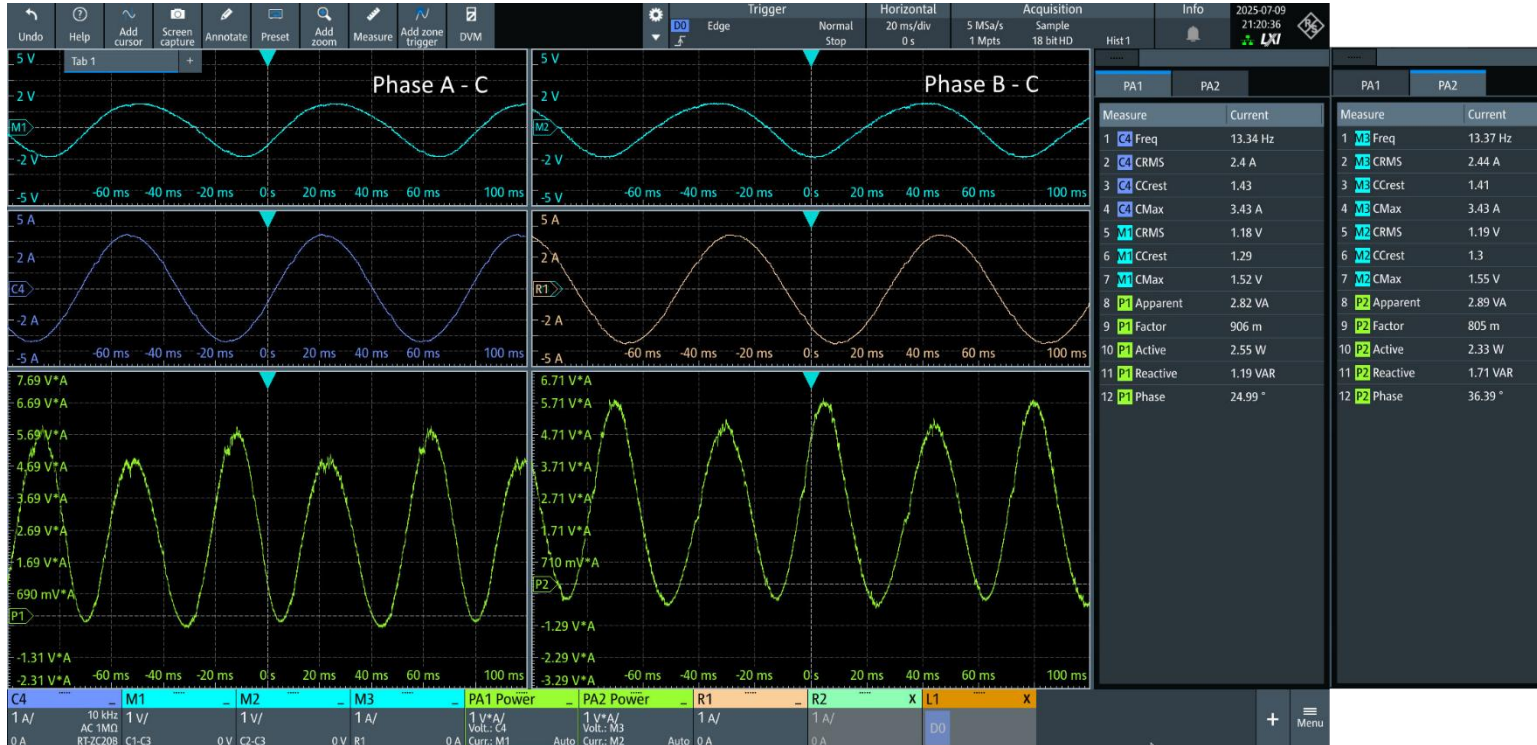


THREE WATTMETER METHOD



P total = 4.71W S total = 5.62VA Q total = 2.89VAR

TWO WATTMETER METHOD



P total = 4.58W

S total = 5.71VA

Q total = 2.9VAR

RESULTS COMPARED AGAIN

P total = 4.71W	S total = 5.62VA	Q total = 2.89VAR	3 Wattmeter Method
P total = 4.58W	S total = 5.71VA	Q total = 2.9VAR	2 Wattmeter Method

These results are much closer!

RESULTS COMPARED WITH VARIOUS METHODS

In these measurements, LPF was with an FIR custom math filter, instead of using the HD mode filter

Note: R&S will be launching 3-phase and motor analysis software for the MXO Oscilloscopes over the next few firmware releases

Part of that software features selecting a sync signal to correctly grab cycles even from PWM signals

Two Wattmeter Method		Non-Filtered Waveforms	AC Coupled	Filtered Waveforms	AC Coupled and Filterd Waveforms	Units
	VArms	8.5	5.98	5.47	0.542	V
	VBrms	8.62	6.11	5.49	0.508	V
	VCrms	8.55	6.04	5.49	0.542	V
	IArms	2.74	2.73	2.75	2.74	A
	IBrms	2.77	2.78	2.78	2.79	A
	ICrms	2.77	2.78	2.78	2.79	A
	VArms * IArms	23.4	16.36	15.03	1.49	VA
	VBrms * IBrms	23.95	16.98	15.25	1.42	VA
	VCrms * ICrms	23.7	16.83	15.25	1.51	VA
	Total	71.05	50.17	45.53	4.42	VA
	Reactive (A)	23.47	16.49	15	0.655	VAR
	Reactive (B)	23.98	17.04	15.2	0.682	VAR
	Reactive (C)	23.89	17.68	15.22	0.917	VAR
	Total	71.34	51.21	45.42	2.254	VAR
	Mean (VArms * IArms)	1.7	1.52	1.44	1.34	W
	Mean (VBrms * IBrms)	1.59	1.43	1.39	1.25	W
	Mean (VCrms * ICrms)	1.25	1.36	1.11	1.2	W
Total	4.54	4.31	3.94	3.79	W	
Two Wattmeter Method						
	V(A_C)rms	3.64	3.55	0.96	0.92	V
	V(B_C)rms	3.51	3.52	0.88	0.869	V
	V(A_C)rms * IArms	9.98	9.81	2.65	2.53	VA
	V(B_C)rms * IArms	9.75	9.77	2.43	2.42	VA
	Total	19.73	19.58	5.08	4.95	VA
	Reactive (A-C)	9.73	9.71	0.803	0.562	VAR
	Reactive (B-C)	9.77	9.81	1.96	2.05	VAR
	Total	19.5	19.52	2.763	2.612	VAR
	mean (V(A-C)rms * IArms)	2.85	2.8	2.52	2.47	W
mean (V(B-C)rms * IBrms)	1.71	1.47	1.51	1.29	W	
Total	4.56	4.27	4.03	3.76	W	